# SPECTRUM SENSING BASED ON CORRELATION MATCHING: 2D CANDIDATE METHODS



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#### ABSTRACT

This paper addresses the problem of spectrum sensing in Open Spectrum Communications. A new spectral estimation procedure which exploits frequency, time and angle diversity is presented. The procedure is a featurebased method able to detect predetermined spectral shape, providing at the same time an estimate of its power level, an estimate of its frequency location and an estimate of its angle of arrival.

#### SYSTEM MODEL

 The space-time-frequency spectrum sensing will be computed using multiple snapshots of measurements from a uniformly spaced linear array (ULA):



## CANDIDATE AUTOCORRELATION MATRIX

BASIC IDEA: correlation matching, changing the traditional single frequency scan to a spectral scan with a particular shape (CANDIDATE spectral shape).

A frequency scanning and an angle scanning is developed using the candidate spectral shape:



## Power level at frequency w<sub>s</sub>

An estimate of the power level can be obtained as,

 $\min \Psi (\hat{\mathbf{R}}, \gamma(w) \mathbf{R}_{cm})$  where  $\Psi (\cdot, \cdot)$  is a similarity function.

**CANDIDATE SPECTRUM SENSING** 

 $\hat{\mathbf{R}} = \gamma(w) \mathbf{R}_m + \mathbf{R}_n$ 

noise + interference

The corresponding model for the data autocorrelation matrix is given by

#### CANDIDATE-F



 $\min_{\gamma} \left| \hat{\mathbf{R}} - \mathbf{R}_{cm} \right|_{F} \implies \gamma_{F} = \frac{\operatorname{Trace}(\mathbf{R}_{cm} \hat{\mathbf{R}})}{\operatorname{Trace}(\mathbf{R}_{cm}^{2})}$ 

CANDIDATE-G

$$\min_{\boldsymbol{\gamma}} \left\| \hat{\mathbf{R}} - \mathbf{R}_{cm} \right\|_{G} \implies \boldsymbol{\gamma}_{G} = \left( \prod_{m=1}^{Q} \lambda_{m} \right)^{\frac{1}{Q}} \quad d_{Geo,\min}^{2} = \sum_{m=1}^{Q} \left| \lambda_{m} / \boldsymbol{\gamma}_{G} \right|^{2}$$
where  $\hat{\mathbf{R}} \mathbf{e}_{m} = \lambda_{m} \mathbf{R}_{cm} \mathbf{e}_{m}$ 

### CANDIDATE-M

Force a **positive semidefinite difference** between the two matrices  $\max_{n \in \mathcal{N}} \gamma$ 

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### s.t. $\hat{\mathbf{R}} - \gamma \mathbf{R}_{cm} \succ 0$



SNR ranges from -20dB to -14dB



#### CONCLUSIONS

• 3 dimensions are exploited: Time, Frequency and Angle.

• Candidate-F show low resolution and weaknesses to interference rejection.

• Candidate-M provides better performance than Candidate-F but shows lower resolution than Candidate-G. However, Candidate-M shows high robustness to noise compared with Candidate-G.