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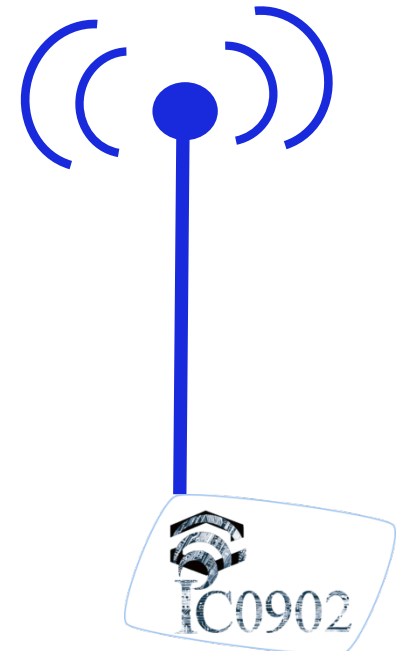
Institute of Telecommunications (ITK)



Cooperative spectrum sensing based on noise power estimation

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Outline



- Introduction
- Cooperative ENP model + validation
- Capacity aware optimization
- Conclusion



Introduction

- Spectrum sensing is a **key enabling technology** for Cognitive Radio (CR) and Dynamic Spectrum Access (DSA) networks
 - ☒ Provides reliable Primary User (PU) detection
 - ☒ Aids the decision making process
- Energy detection based spectrum sensing is **optimal** when *sufficient information on the PU signal is unavailable*
- The alleged **SNR wall*** (noise uncertainty) limits the performances of the energy detection (+ change of system noise due to temperature variation, initial calibration error, presence of interferers)
- However, the **SNR wall** is not caused by the presence of noise power uncertainty, but by **insufficient information** about the noise power estimation
 - ☒ **Estimated Noise Power (ENP)** approach **alleviates** the SNR wall problem ** by collecting sufficient noise statistics
- This work extends the ENP theory for the Cooperative Spectrum Sensing (CSS) case providing:
 - A **practical (experimental) validation** of the derived CSS-ENP energy detection analytical models
 - Investigation of the **asymptotic behavior** of the proposed approach
 - A Secondary User (SU) system **capacity aware optimization**

* R. Tandra and A. Sahai, "SNR walls for signal detection," *IEEE J. Sel. Topics Signal Process.*, vol. 2, pp. 4–17, Feb. 2008.

** A. Mariani, A. Giorgetti, M. Chiani, "Effects of Noise Power Estimation on Energy Detection for Cognitive Radio Applications," *IEEE Trans. Communications*, vol. 59, no. 12, pp. 3410-3420, December 2011.

** Daniel Denkovski, Vladimir Atanasovski and Liljana Gavrilovska, "HOS based goodness-of-fit testing signal detection," *IEEE Communications Letters*, Vol. 16, Issue 3, pp. 310-313, March 2012.

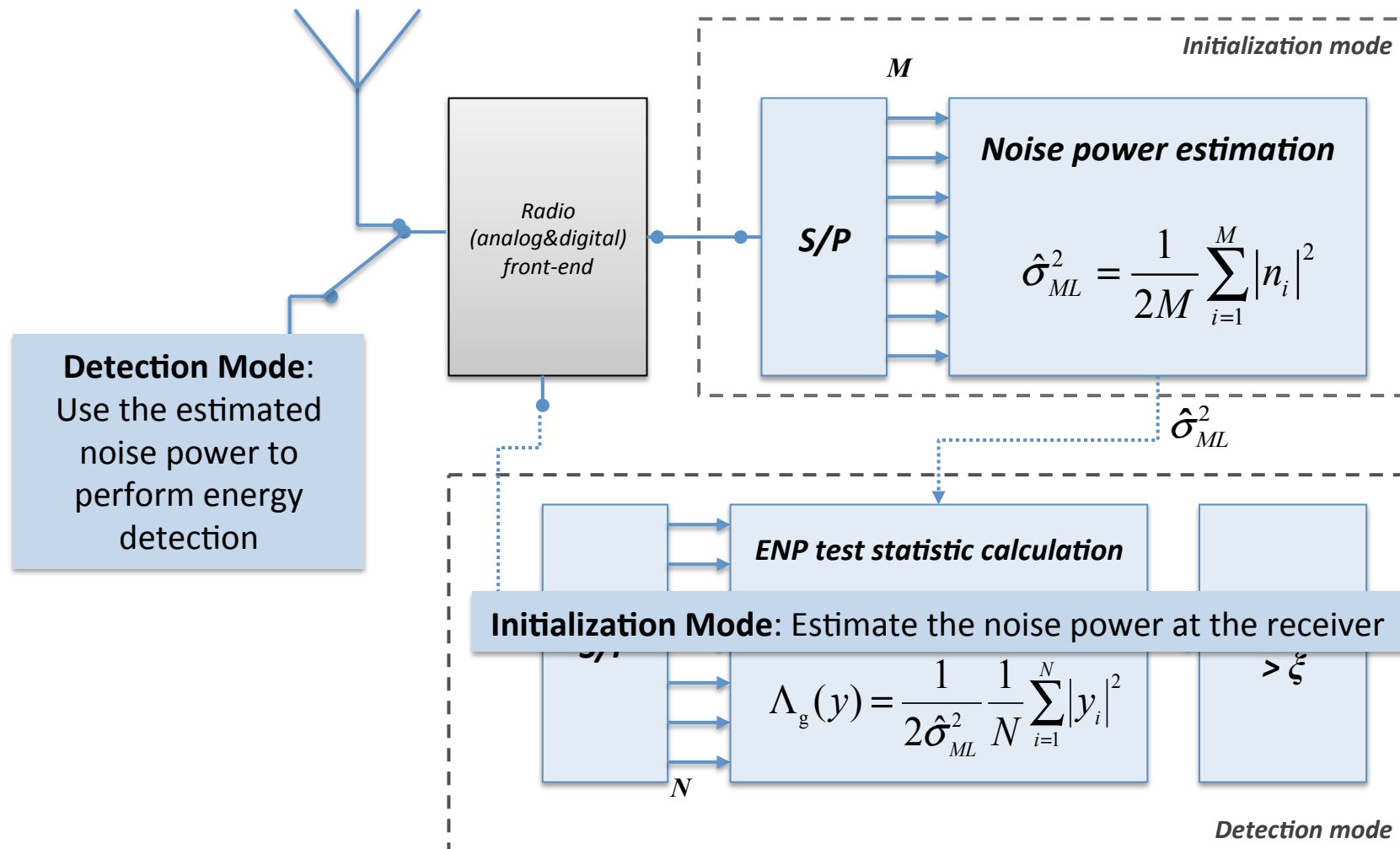
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Energy detection based on ENP



Cooperative ENP*



Equal Gain Combining (EGC) cooperative sensing

- Soft fusion (combining) of K user signals
- ML estimation of σ^2 using M noise samples

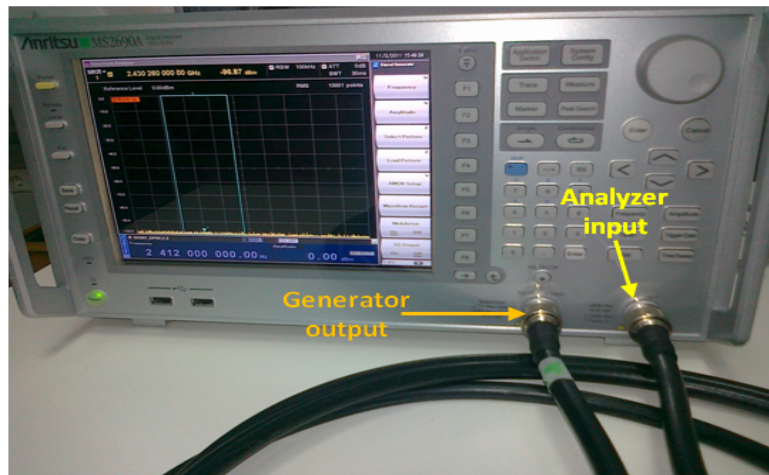
Majority voting (MV) cooperative sensing

- Hard fusion (combining) of K user signals – individual signal detection
- Signal is declared present, if at least $K/2$ nodes detect it

Experimentation validation



- Equipment: Anritsu MS2690A signal analyzer
- Metric of interest: probability of detection (P_d) vs. SNR
- Evaluation parameters:
 - $N = 1024$:-65536 sample size, $M = 10^7$ noise samples per scenario
 - $K = 1, 2, 5$ and 10 cooperative users
 - Decision thresholds for probability of false alarm $P_{fa} = 1\%$

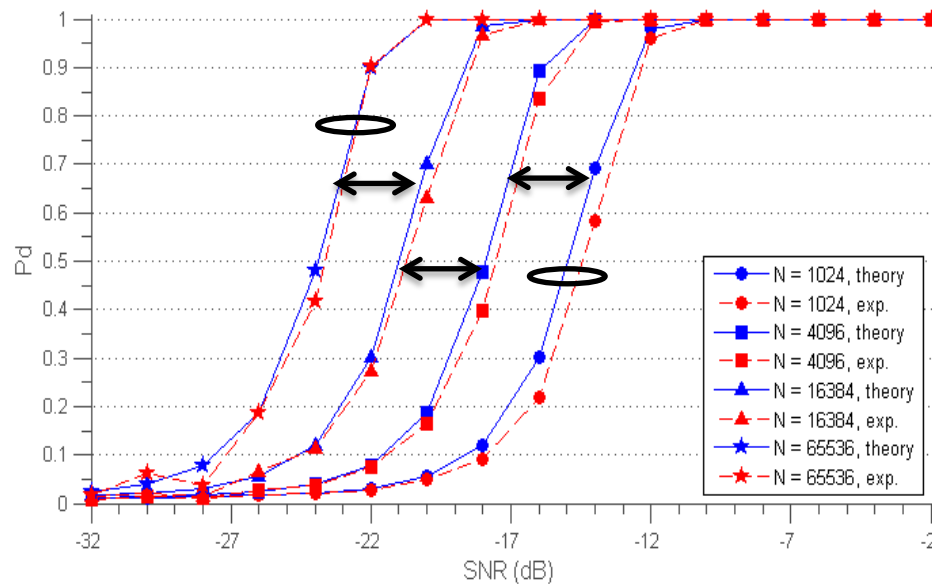


Measurement setup

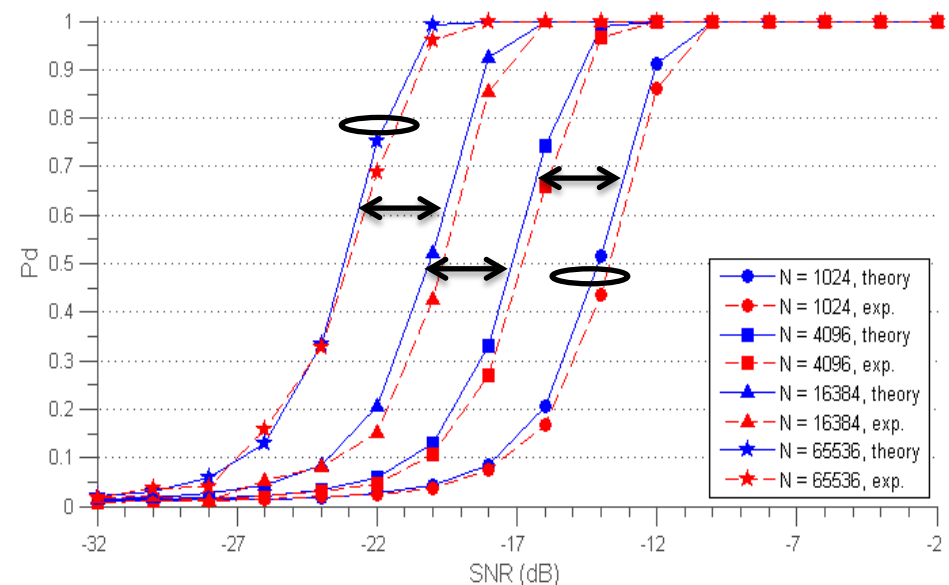
Input Signal	ISDBT_QPSK_2/3
Central frequency [MHz]	2401
Receiving bandwidth [MHz]	10
Attenuation [dB]	6
Noise level [dBm]	-74.4581(measured) -74.5(specifications)
Cable loss [dB]	1.4 dB
Input signal power [dBm]	-105:2:-75
Resulting SNR [dB]	-31.94:2:-1.94

Anritsu MS2690A measurement configuration

EGC and MV results



P_d vs SNR, $K = 5$, $M = 10^7$, $P_{fa} = 1\%$,
theoretical and experimental EGC results



P_d vs SNR, $K = 5$, $M = 10^7$, $P_{fa} = 1\%$,
theoretical and experimental MV results

- ☒ Constant **3dB** EGC/MV detection performance increase with each **sample size quadrupling**
- ☒ The experimental results prove the **validity of derived EGC/MV analytical models**

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Capacity aware optimization (1/2)

- Spectrum sensing techniques tend to utilize spectrum sensing setups (e.g. no. of signal samples, no. of noise samples, no. of cooperating nodes, control channel bandwidth etc.) that are **optimal** for achieving the **best signal detection performance**
 - Might be **suboptimal** regarding the achieved SU system performance
- However, in order to achieve better overall SU system performance, it is **more beneficial** to optimize the cooperative sensing process regarding the **SU capacity** rather than the signal detection
 - Complying with the PU protection criteria (e.g. $P_d = 99\%$, time between sensing $< 1s$ *)

System parameters:

- $K \rightarrow$ number of cooperating users in the SU system
- $PU\ SNR \rightarrow$ minimal received SNR at the SUs for which the PU system can be detected with an accuracy of $P_{d_{min}} [\%]$
- $1/\alpha \rightarrow$ noise estimation rate
- $N \rightarrow$ number of signal samples
- $M \rightarrow$ number of noise samples
- $W \rightarrow$ SU system bandwidth
- $B_c \rightarrow$ SU control channel bandwidth
- $T_s \rightarrow$ sensing period
- $T_c \rightarrow$ control channel latency
- $T \rightarrow$ SU system frame duration

Capacity aware optimization (2/2)

- The **SU system capacity** is defined as:

$$C_{SU} = \frac{T - T_s - T_c}{T} \cdot \Theta \cdot (1 - Q_{fa}) \left(1 - \frac{B_c}{W}\right)$$

$\Theta = W \cdot \log(1 + \bar{\gamma})$ – Shannon Capacity of the SU system

$\bar{\gamma}$ – average SNR in the SU system

Q_{fa} – false alarm probability of the sensing technique

- In the case of **cooperative ENP**, the **SU system capacity** is defined as:

$$C_{SU} = \frac{T - T_s(N, M) - T_c(B_c)}{T} \cdot \Theta \cdot (1 - Q_{fa}^{ENP}(N, M, B_c)) \left(1 - \frac{B_c}{W}\right)$$

- The **capacity aware ENP optimization** can be defined as:

$$\begin{aligned} \max_{\arg N, M, B_c} & \left\{ C_{SU} = \frac{T - T_s(N, M, \alpha) - T_c(B_c)}{T} \cdot \Theta \cdot (1 - Q_{fa}^{ENP}(N, M, B_c, \alpha)) \left(1 - \frac{B_c}{W}\right) \right\} \\ \text{s.t.} & \quad Q_d^{ENP}(N, M, B_c, \alpha) \geq Q_{d\min} \end{aligned}$$

Performance analysis

Scenario description



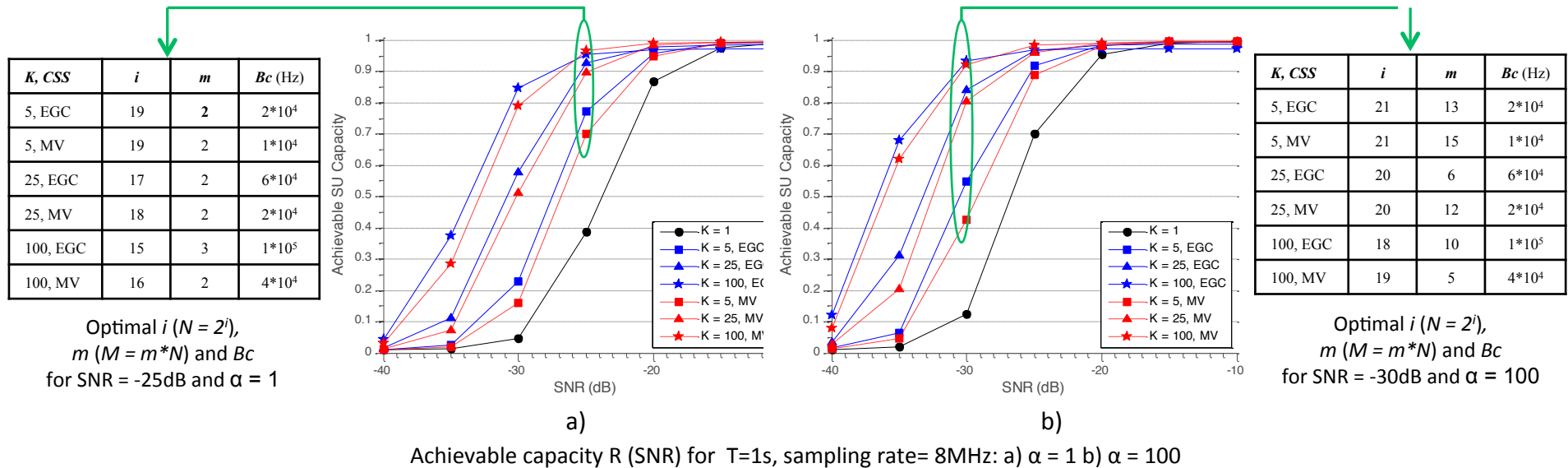
- Assess the performance and behavior of the:
 - EGC based ENP approach
 - MV based ENP approach
- Parameters of interest:
 - Achievable SU capacity
 - Optimal number of noise M and signal N samples
 - Optimal control channel bandwidth

$$R = \frac{C_{SU}}{\Theta}$$

$$B_c = \frac{K}{T_c}$$

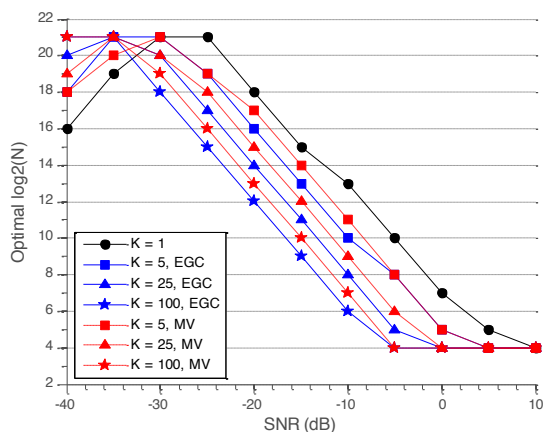
Parameters	Values
no. of signal samples [$N = 2^i$]	2^4 :- 2^{21}
no. of noise samples [$M = m * N$]	2^5 :- 2^{30}
Cooperating users [K]	1 :- 100
PU SNR [dB]	-45 :- -10
Control channel bandwidth (B_c) [kHz] (BPSK modulation assumed)	1 :- 200
MV fusion data size per node [bits]	1
EGC fusion data size per node [bits]	14
$Q_{d_{min}}$ [%]	99%
Noise estimation rate [α]	[1, 10, 100, 100]
Sampling rate [f_s]	8MHz
SU system frame duration [T]	1s

Achievable SU capacity

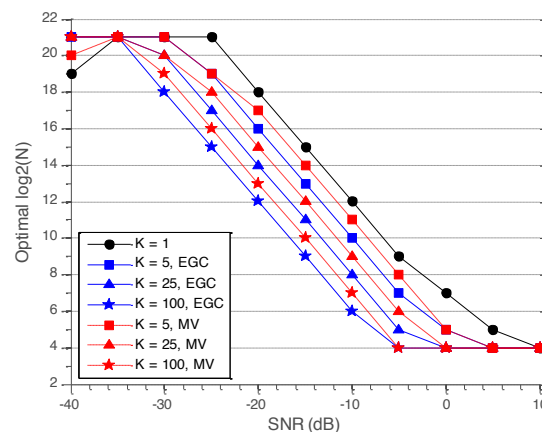


- ☒ The **achievable capacity increases** with the number of cooperating users K and the primary signal (PU) SNR requirement
- ☒ MV provides **better capacity** in the case of **higher PU SNR** and EGC provides **better capacity** in the case of **lower PU SNR**
- ☒ The **increase of α** (decrease of noise estimation rate) provides **better capacity** performances
- ☒ For **low SNR** regimes (e.g. $< -30dB \rightarrow$ **realistic scenarios**) the **single node ENP** approach is highly **suboptimal**

Optimal number of signal and noise samples

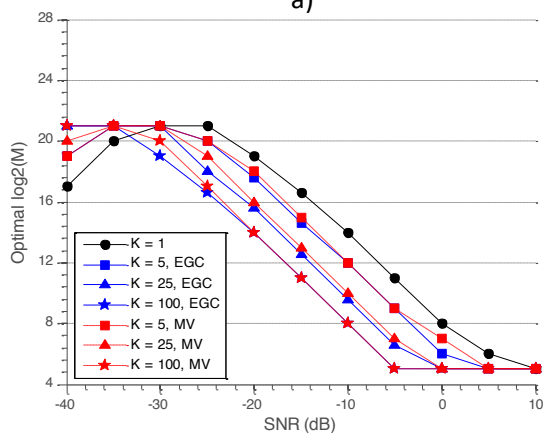


a)

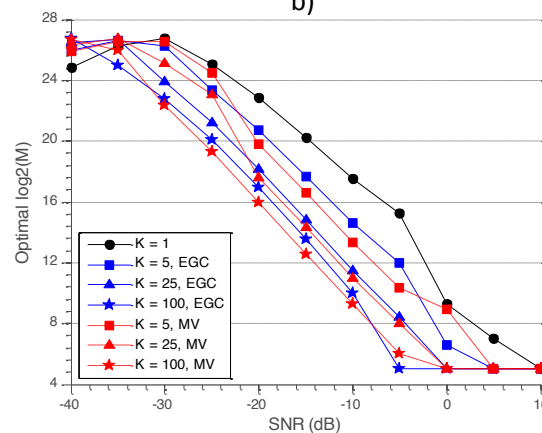


b)

Optimal $\log_2(N)$ vs. SNR, $T=1s$,
sampling rate = 8MHz (and the
optimal M , B_c settings) for:
a) $\alpha = 1$ b) $\alpha = 100$



c)



d)

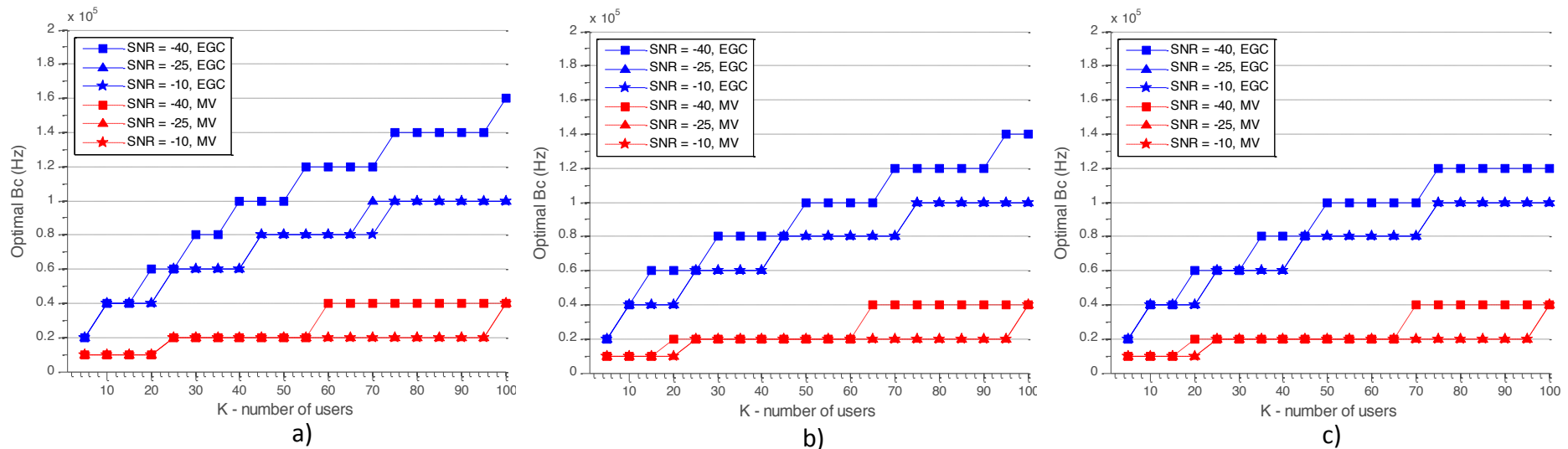
Optimal $\log_2(M)$ vs. SNR, $T=1s$,
sampling rate = 8MHz (and the
optimal N , B_c settings)
c) $\alpha = 1$ d) $\alpha = 100$

☒ The optimal N and M decrease with the increase of the number of users K and the increase of the PU SNR

☒ MV requires slightly higher number of noise and signal samples in most cases

☒ The noise estimation rate coefficient α only affects the optimal number of noise samples M

Optimal control channel bandwidth



Optimal $B_c(K)$, $T = 1s$, sampling rate = 8MHz (and the optimal M, N settings) for: a) $\alpha = 1$ b) $\alpha = 10$ c) $\alpha = 100$

- ☒ The **optimal B_c bandwidth** (achieving the optimal SU capacity) **increases** with the **increase** of the number of users K and the **decrease** of the **PU SNR**
- ☒ EGC generally **requires** a **higher B_c** due to the higher amount of control information
- ☒ The **decrease** of the **noise estimation rate** **decreases** the optimal B_c bandwidth

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Conclusion



- The **ENP** approach can overcome the noise SNR wall problem
- This work presents the **extension of the ENP theory to the cooperative spectrum sensing**
 - The **experimental results prove the validity** of the derived **analytical models**
- The **ENP capacity aware** cooperative spectrum sensing:
 - **Enhances** the SU system performance in terms of the SU capacity
 - Gives an **insight** of the optimal behavior of EGC and MV in terms of number of cooperating nodes, amount of noise statistics and control channel bandwidth
- Future directions
 - **Exploit** the information regarding the optimal behavior of the proposed approach for advanced **Radio Resource Management**
 - **Extend** the Higher Orders Statistics (**HOS**) based sensing with the cooperative ENP and capacity aware spectrum sensing



**THANK YOU FOR YOUR KIND
ATTENTION!**

QUESTIONS?

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